Eurographics 2013 9.5.2013

LOW-COMPLEXITY INTERVISIBILITY IN HEIGHT FIELDS

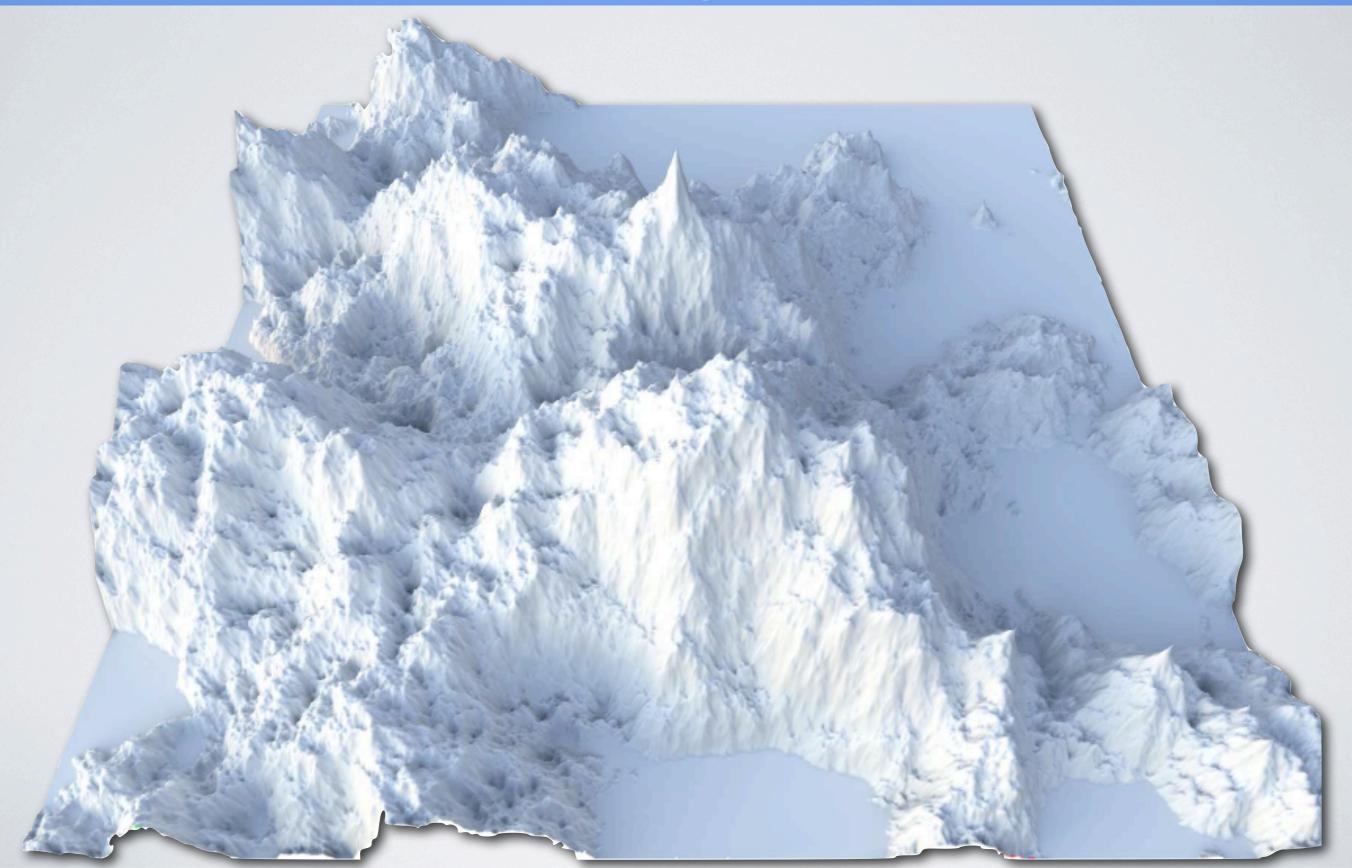
Ville Timonen

Turku Centre for Computer Science Åbo Akademi University

CONTENTS

- I. Problem description and previous work
- 2. Our method
- 3. Results
- 4. Questions

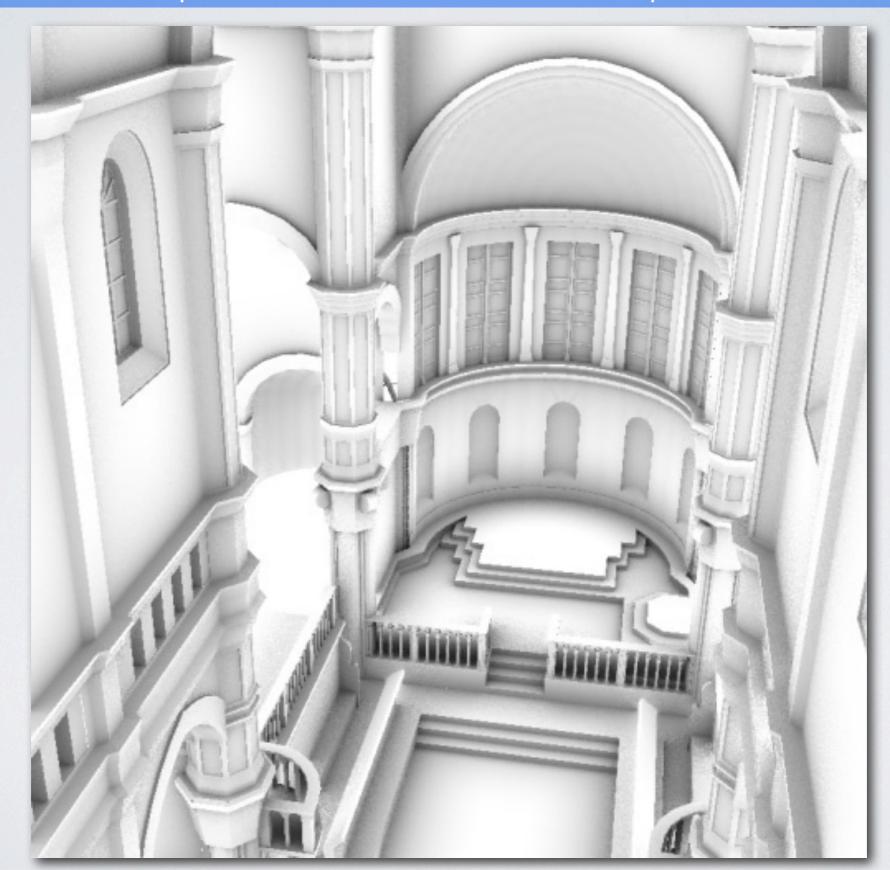
Here's a height field...



Here's another...



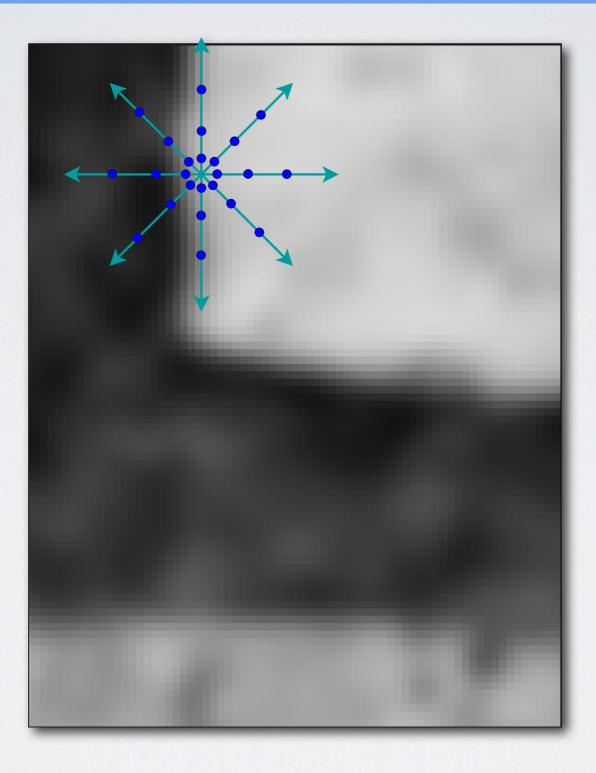
Even the depth buffer can be interpreted as one...



Intervisibility is..

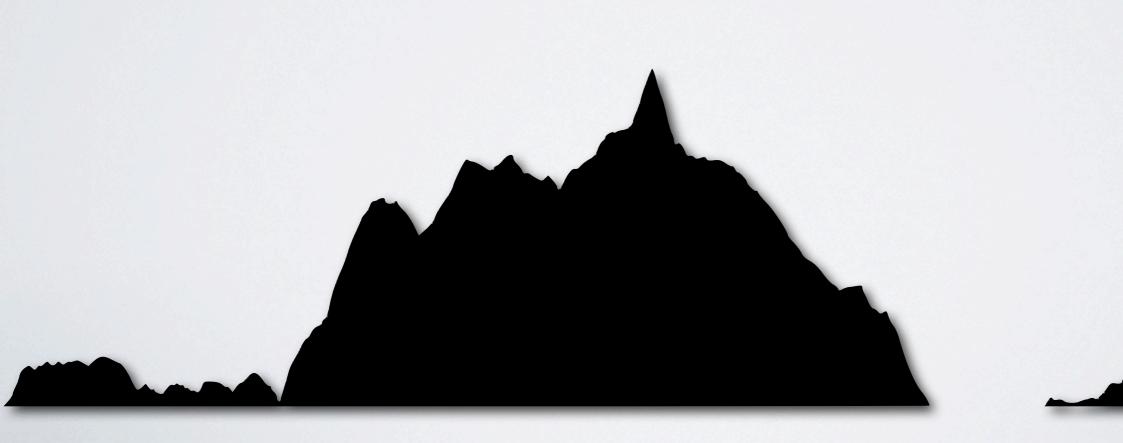
- Determining which points in the height field are visible to each height field point
- Can be used to:
 - Find good coverage points for radio towers
 - Plan Mars rover paths that have high camera visibility
 - etc...
- In graphics rendering: geometry culling, lighting
- Lighting: indirect illumination and self-illuminating surfaces

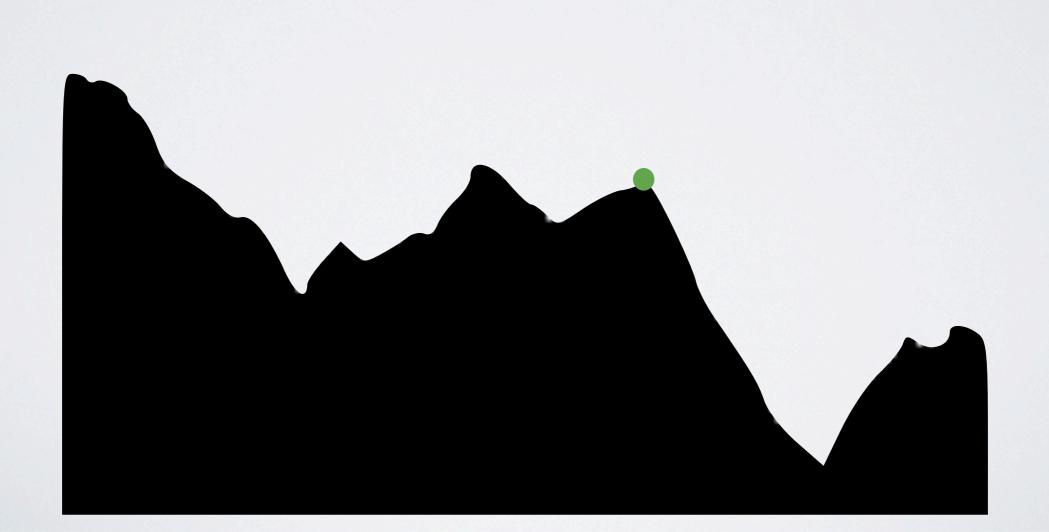
Decompose the 2.5D problem into K 1.5D problems

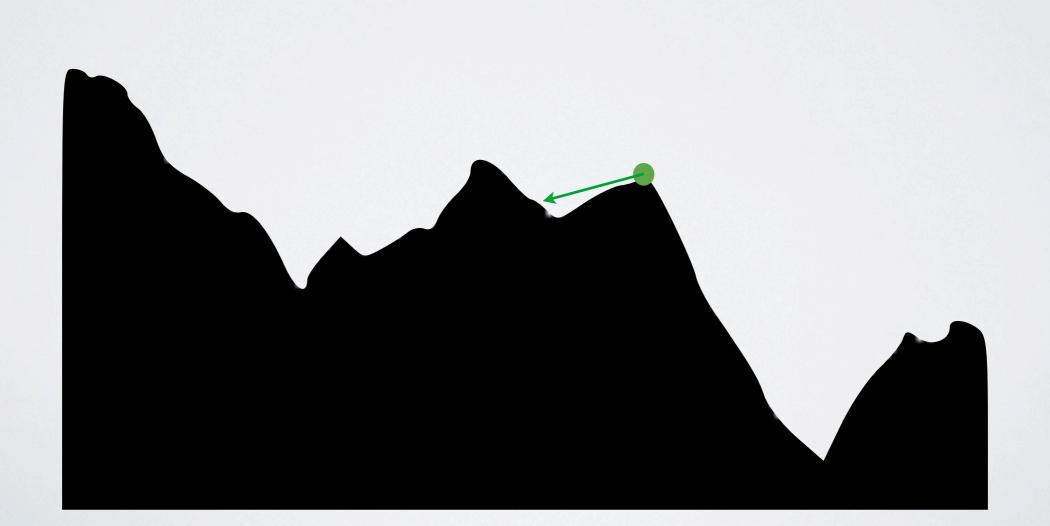


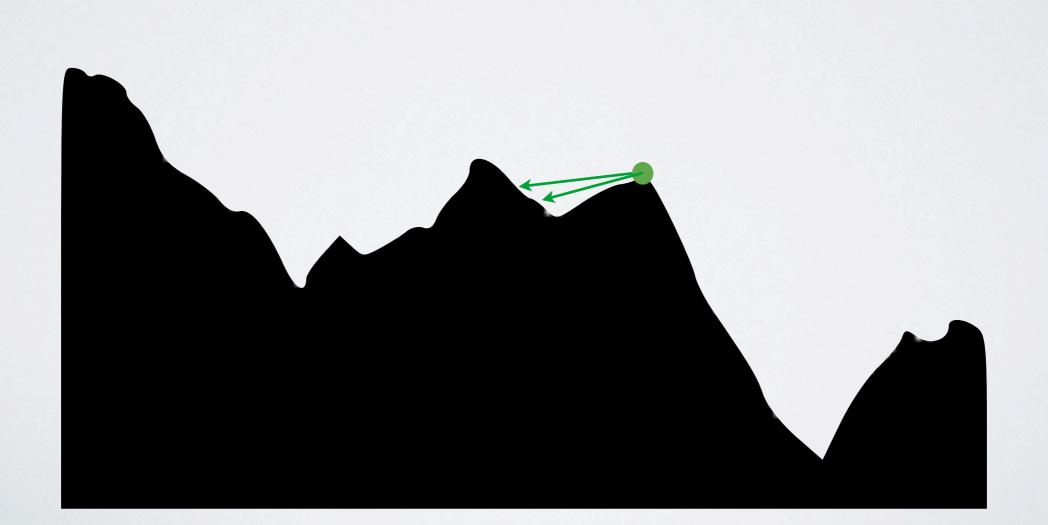
Here K = 8

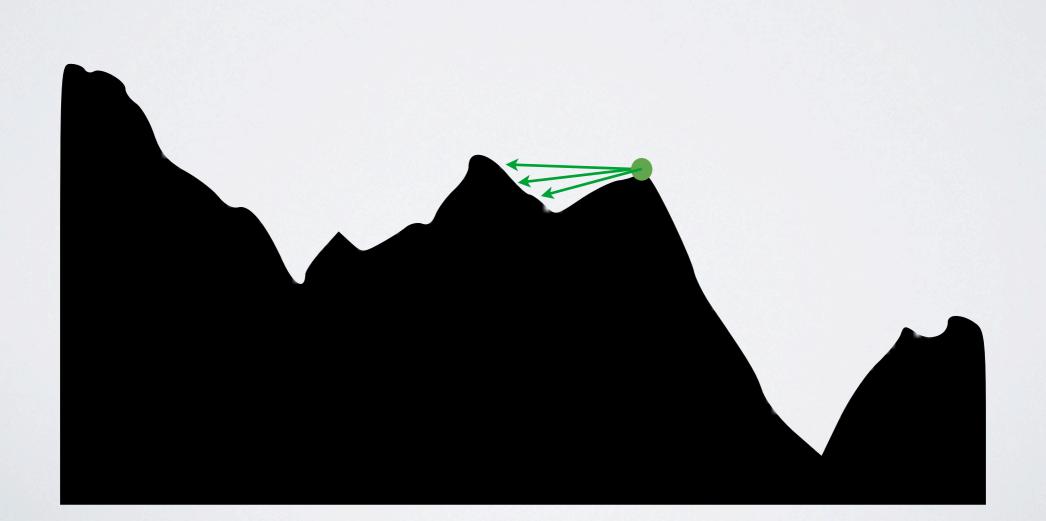
One 1.5D slice from the fractal terrain:

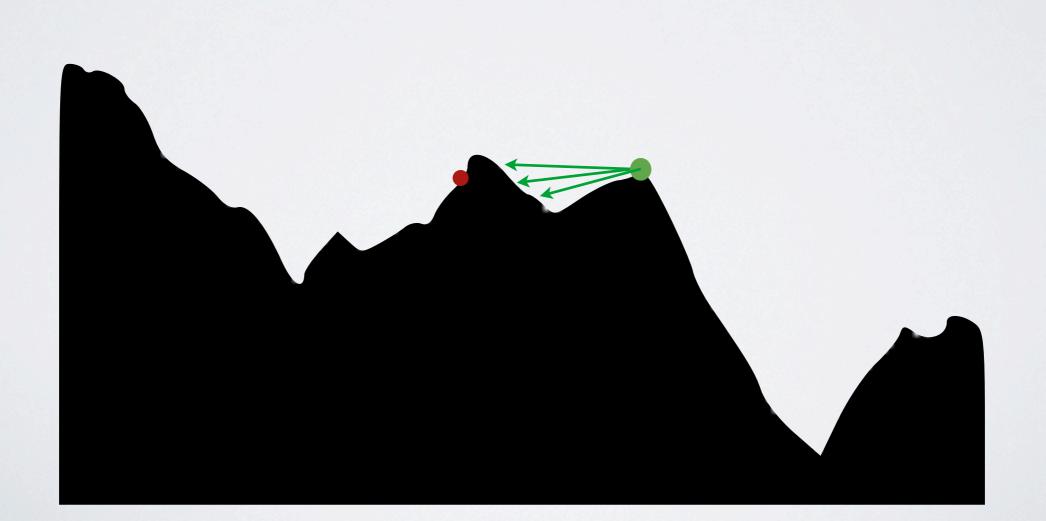


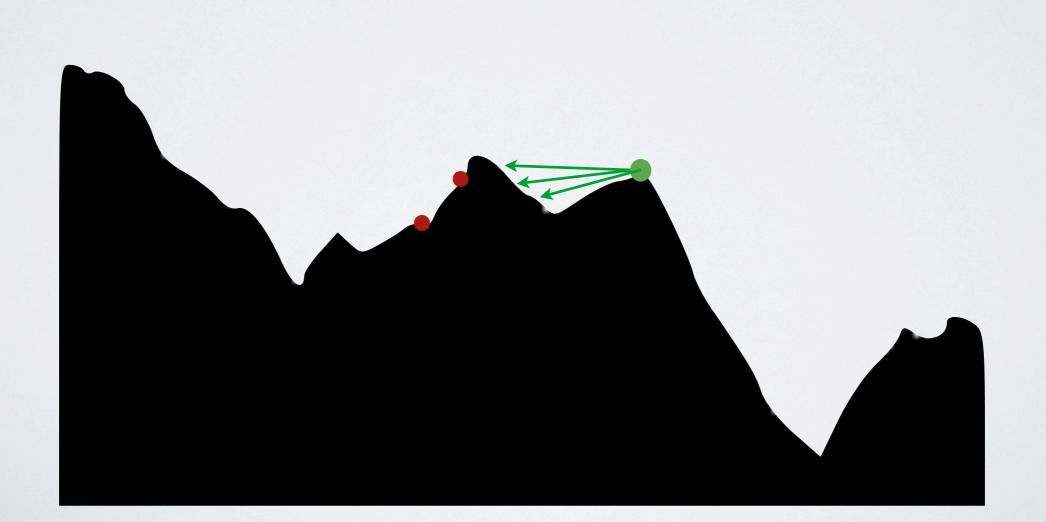


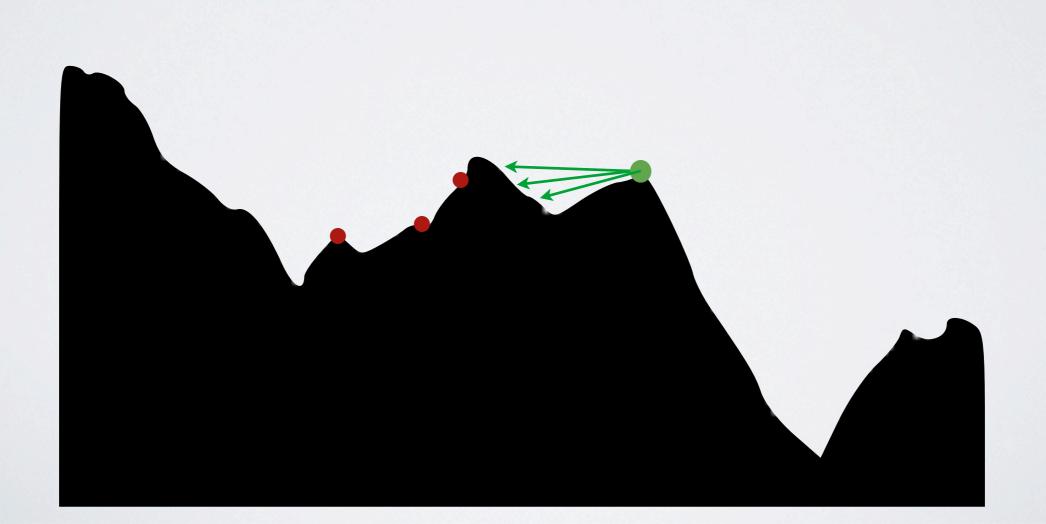


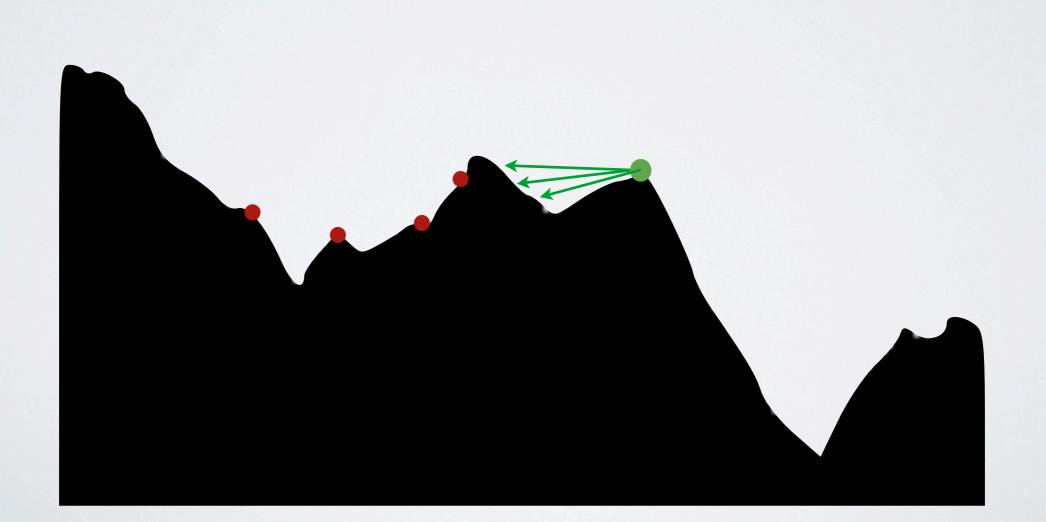


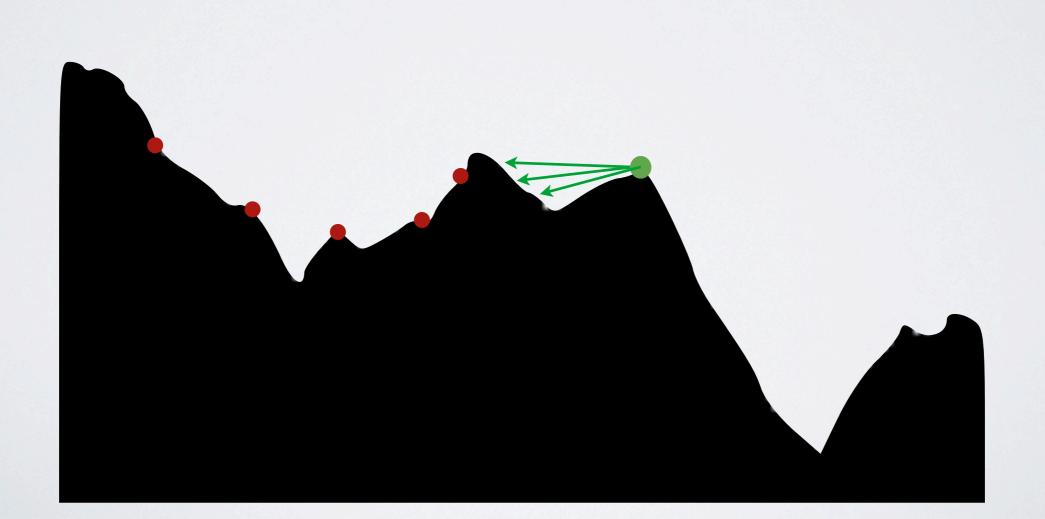






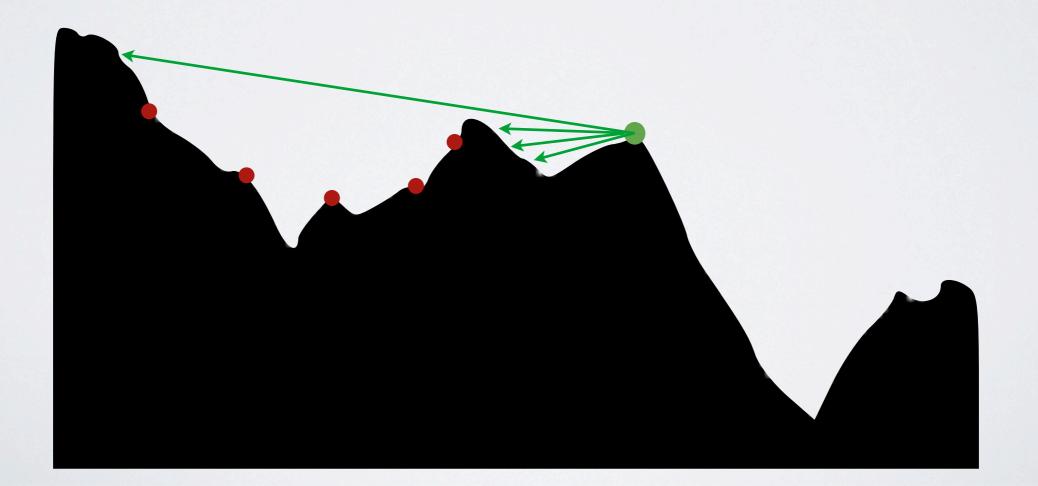






From each point, step through the slice

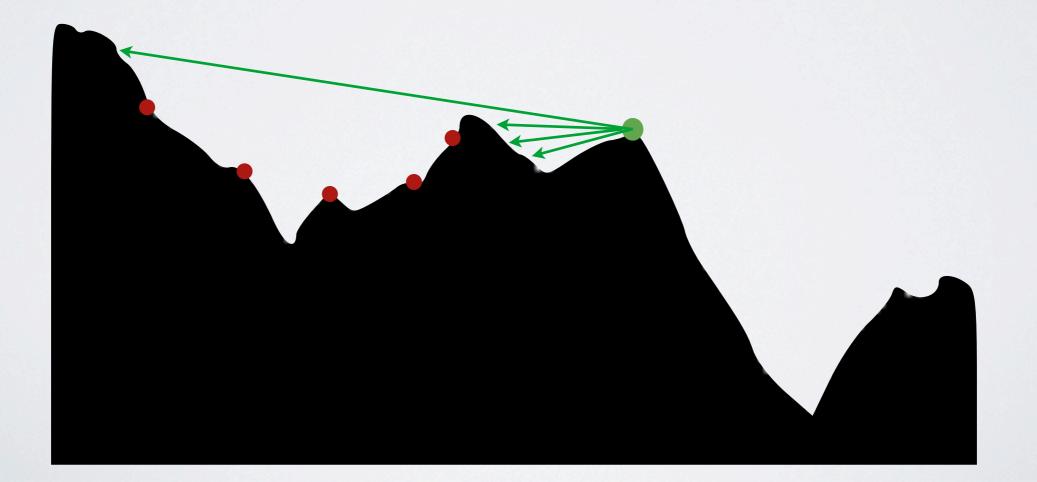
Given 1000 texels in a slice, ~500 steps taken per receiver on average to get accurate visibility



From each point, step through the slice

Given 1000 texels in a slice, ~500 steps taken per receiver on average to get accurate visibility

(Teaser: our method achieves this in ~ 10 iters per receiver)



- Computationally very exhaustive
- It is not always necessary to solve accurately..
 - e.g. 'Fast Global Illumination on Dynamic Height Fields'' (Nowrouzezahrai & Snyder 2009)
- ...But we improve the time complexity of the accurate solution
- Useful for: movie-grade GI and (semi)glossy and selfilluminating surfaces

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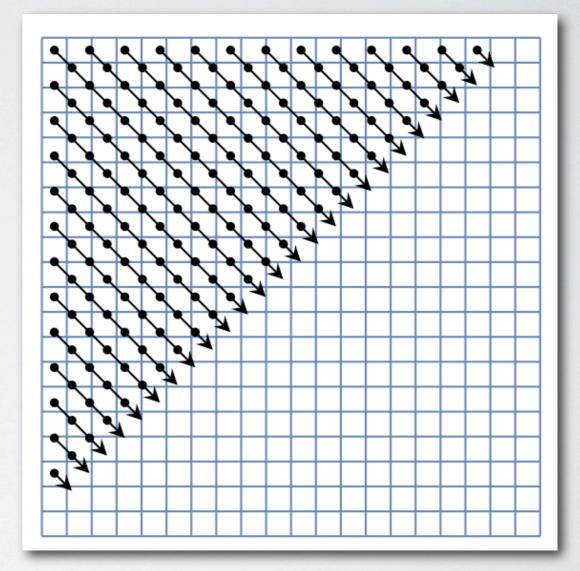
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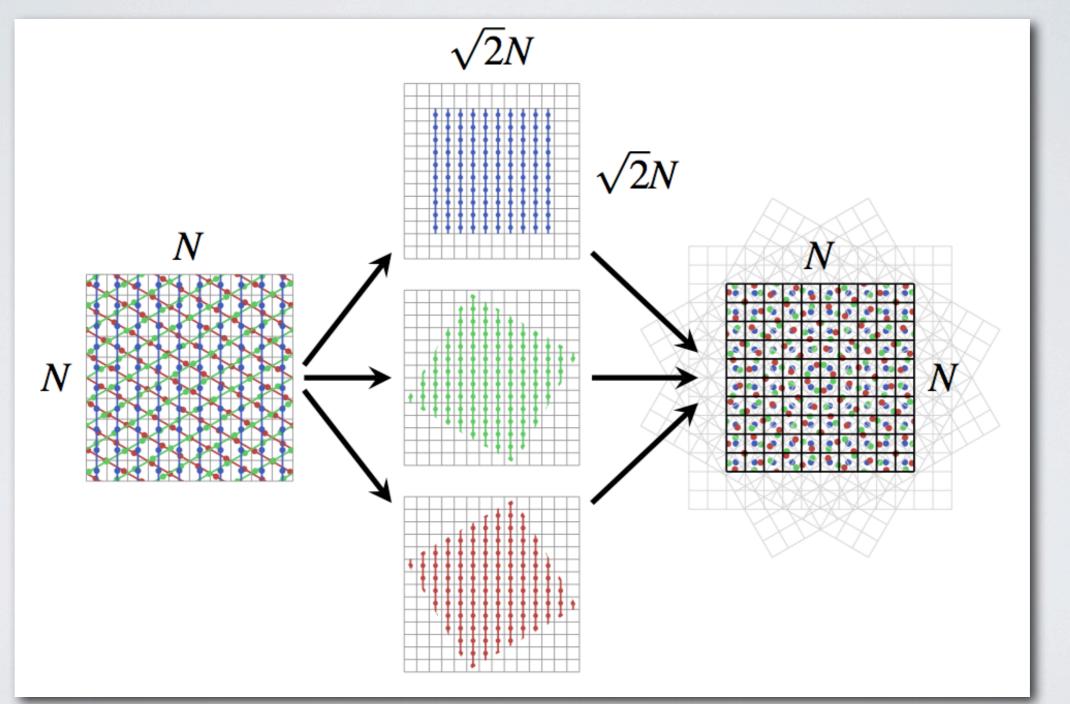
Overview

- Instead of computing visibility independently for each point.
- ..we compute visibility in parallel *lines* along the height field.
- Visibility of points along a line are computed from points along a line.
- Lines traversed incrementally, step by step.
- An internal representation of the HF is maintained along lines.



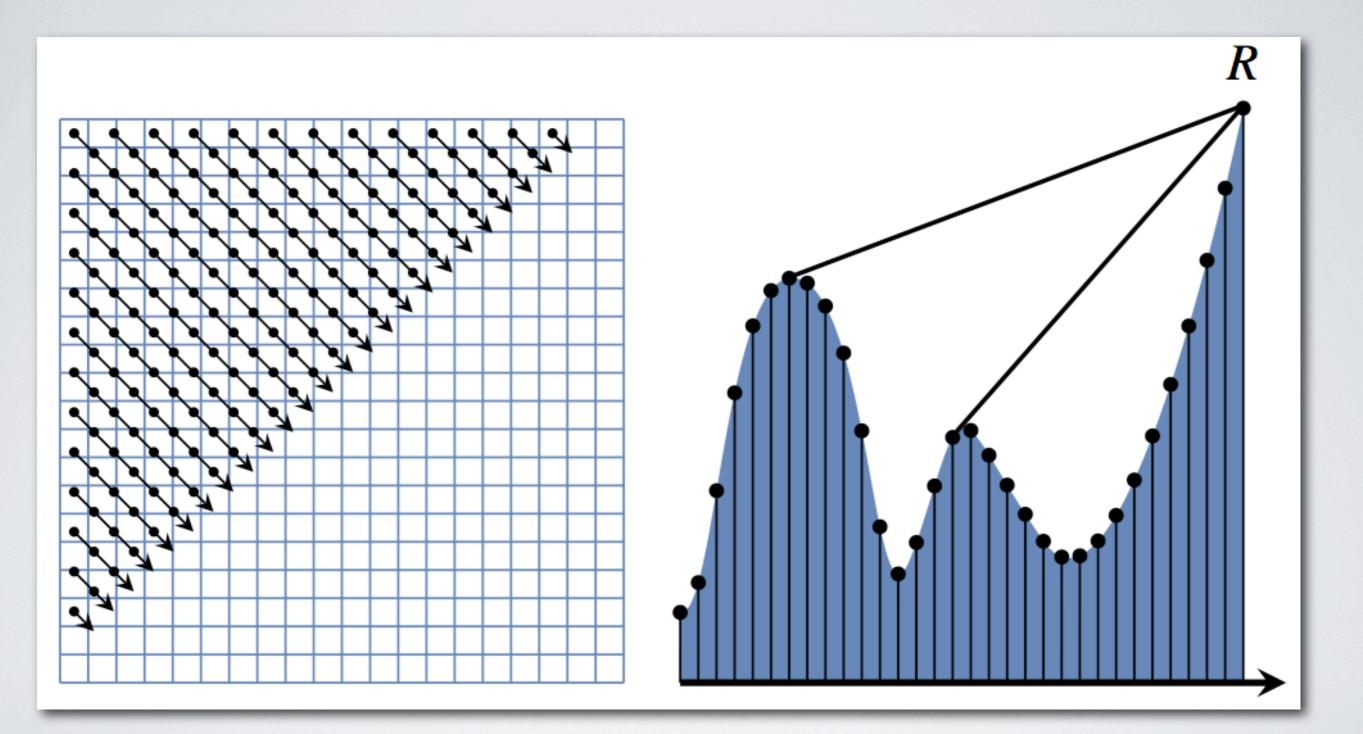
Overview

Line sweeps in K=3 directions (color coded)



The intermediate results are application specific (e.g. lighting values)

Processing one line

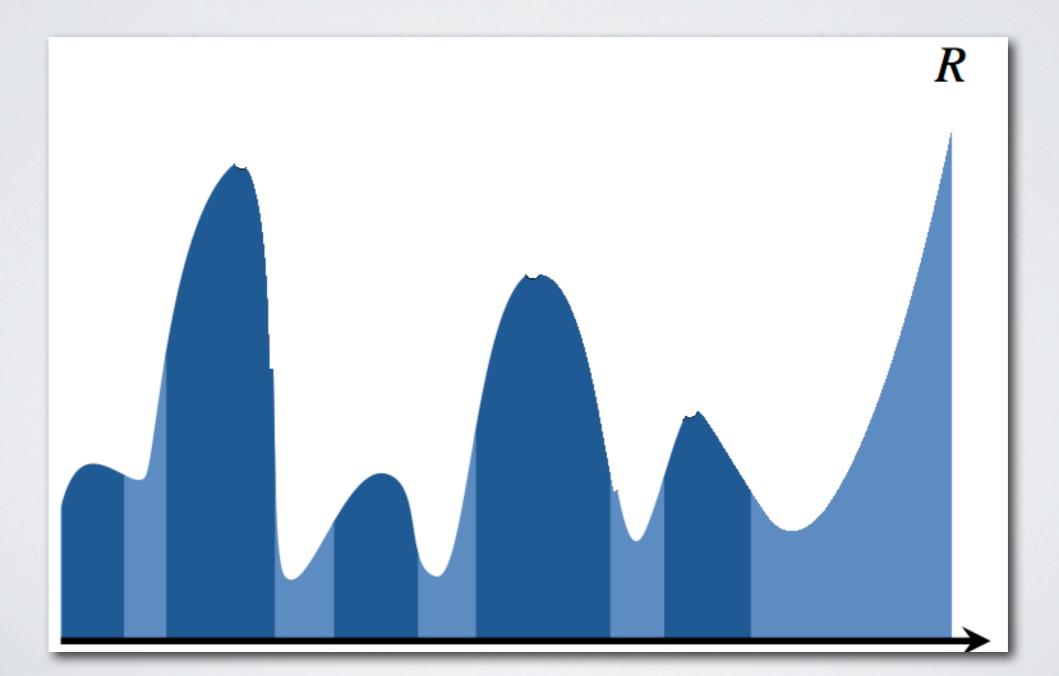


Parallel line sweeps

One line sweep

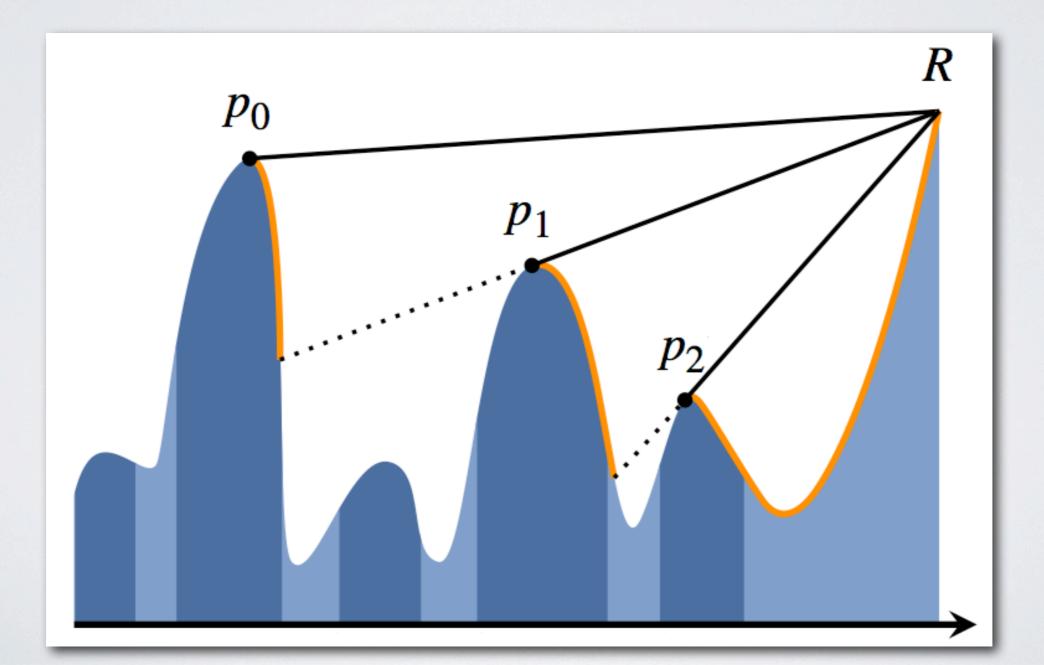
Processing one line

Firstly, the traversed line is split into convex (dark blue) and concave (light blue) segments:



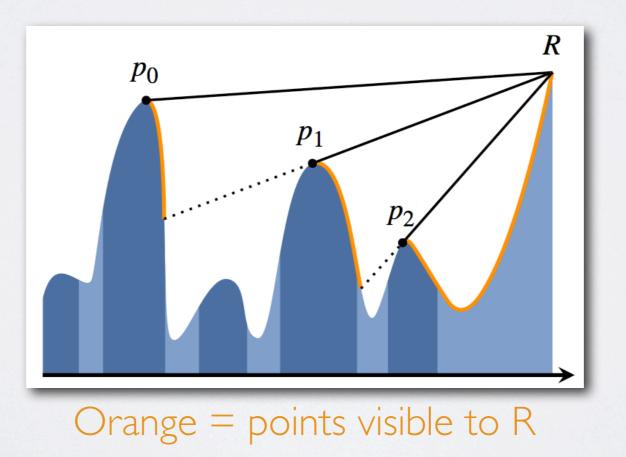
Processing one line

Points p_i are at local peaks (as seen from R)
Lines from R to p_i are visibility horizons



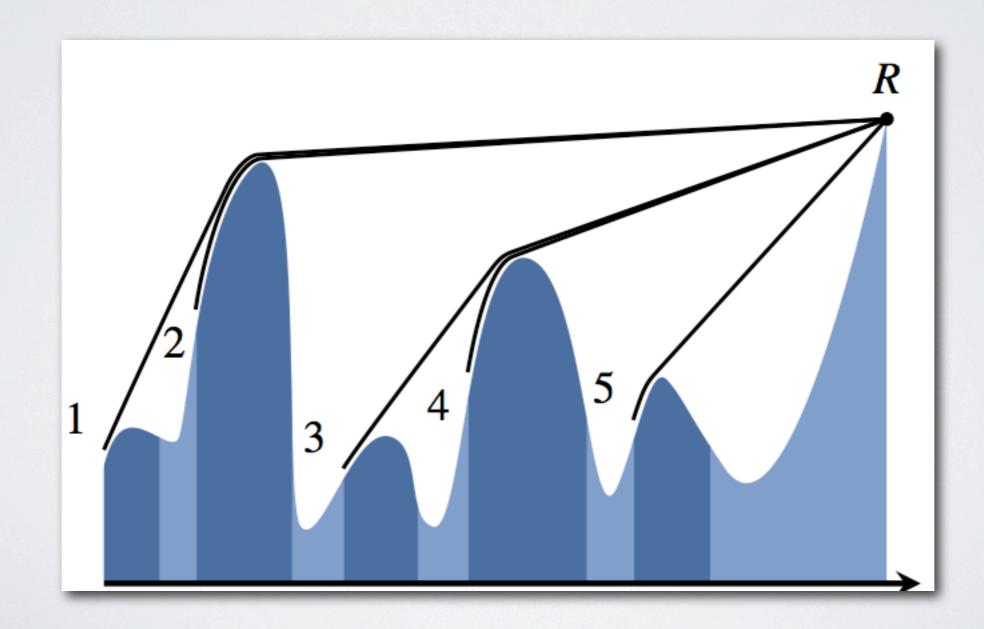
Processing one line

- If you want to enumerate visible points: start from p_i and step towards R until below the line from R to p_{i+1}
- Visibility horizons therefore describe the same visibility, but are more compact: a pair encloses all consecutive points



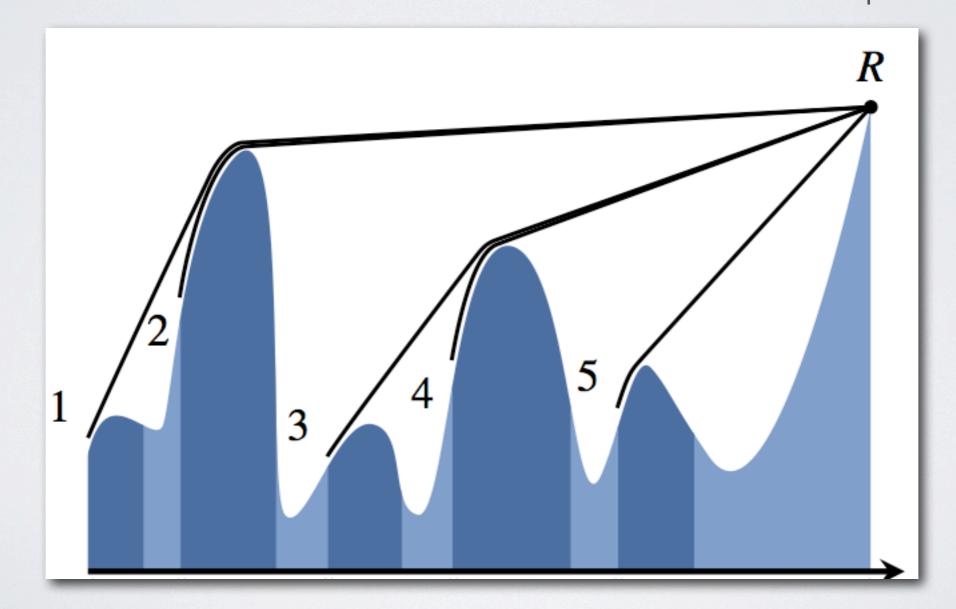
In search of p_i

We construct a *convex hull* from the beginning of each convex section to *R*



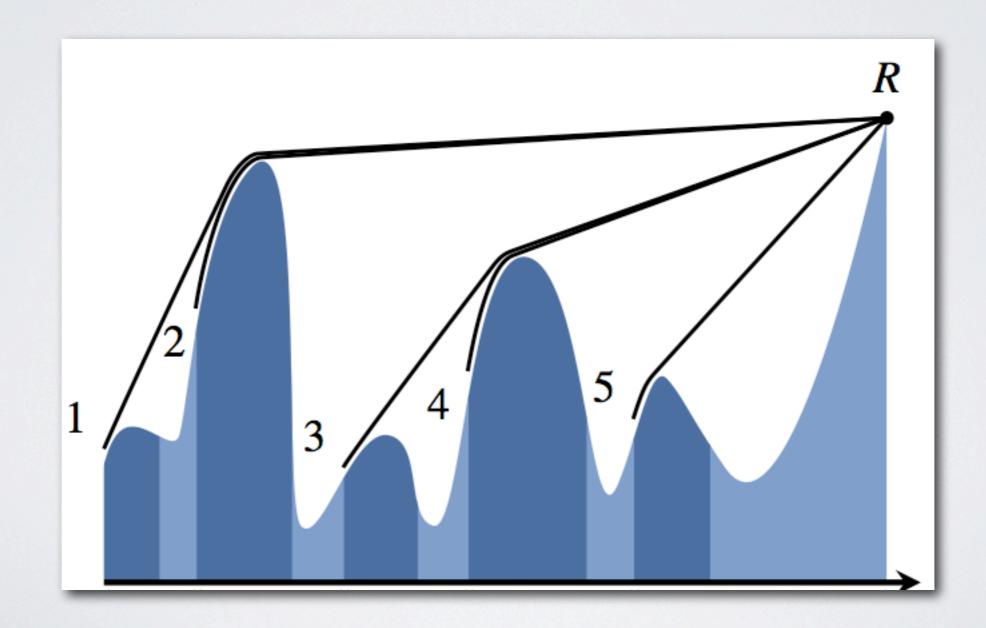
In search of pi

Convex hulls can be incrementally updated via Graham's scan when moving onto next R along the line (remove elements at the end until convex before putting R in)



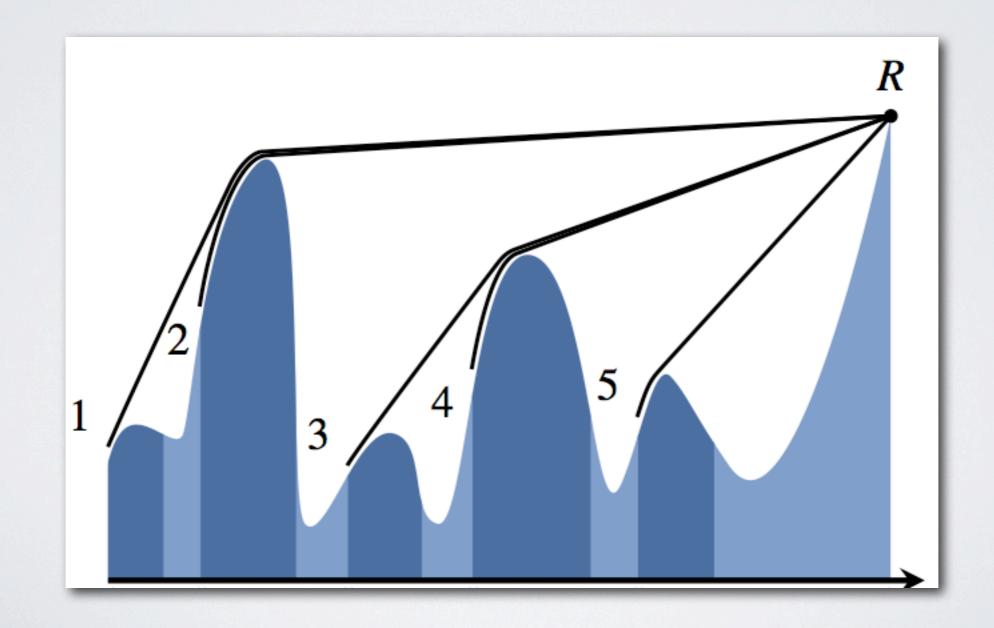
In search of p_i

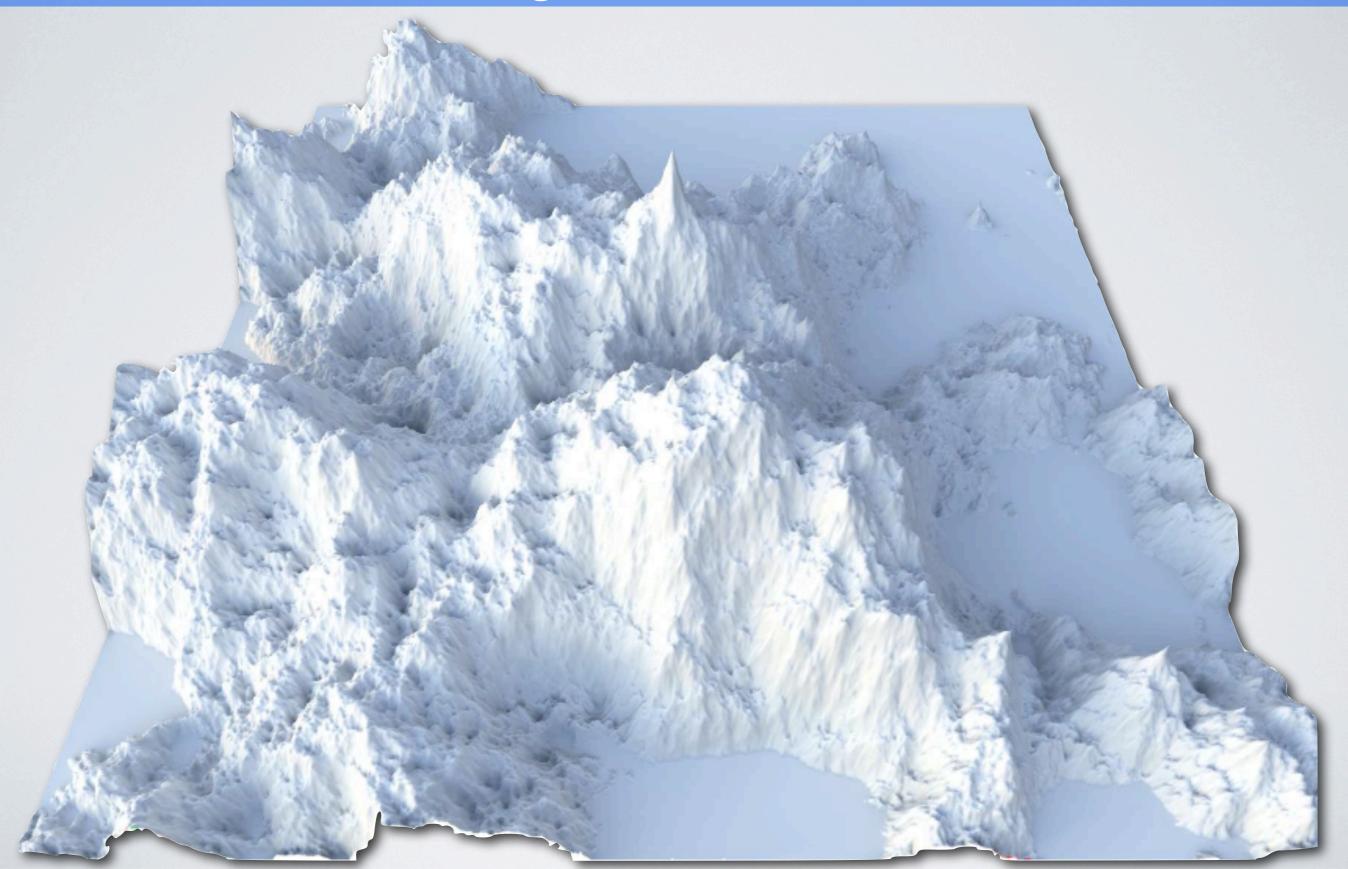
But look! The convex hulls seem to form a tree



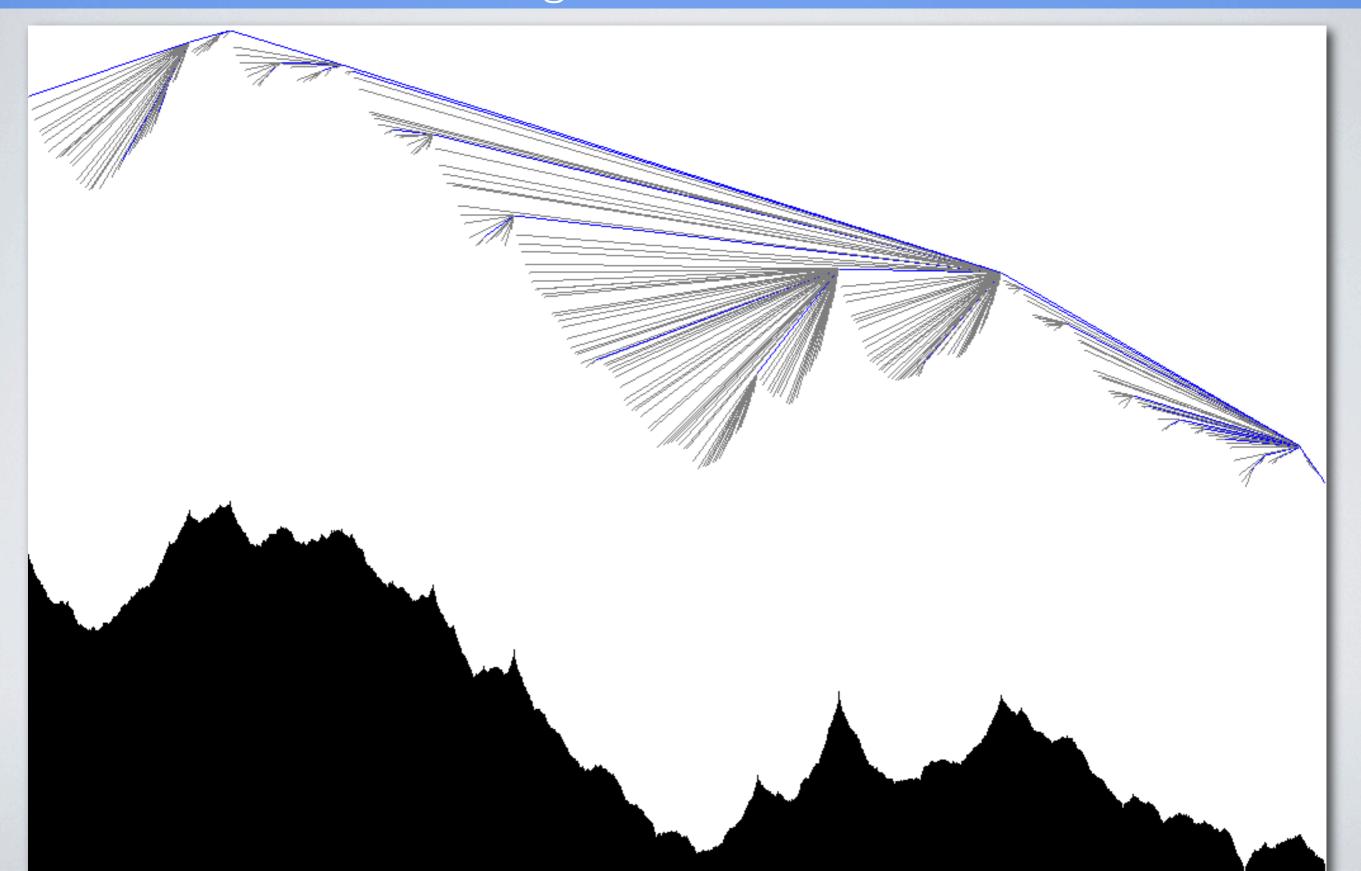
In search of p_i

- When put in a tree, visible segments become direct children of R
- Therefore no need to find which segments are visible
- And later on tree traversal only visits visible parts of the height field

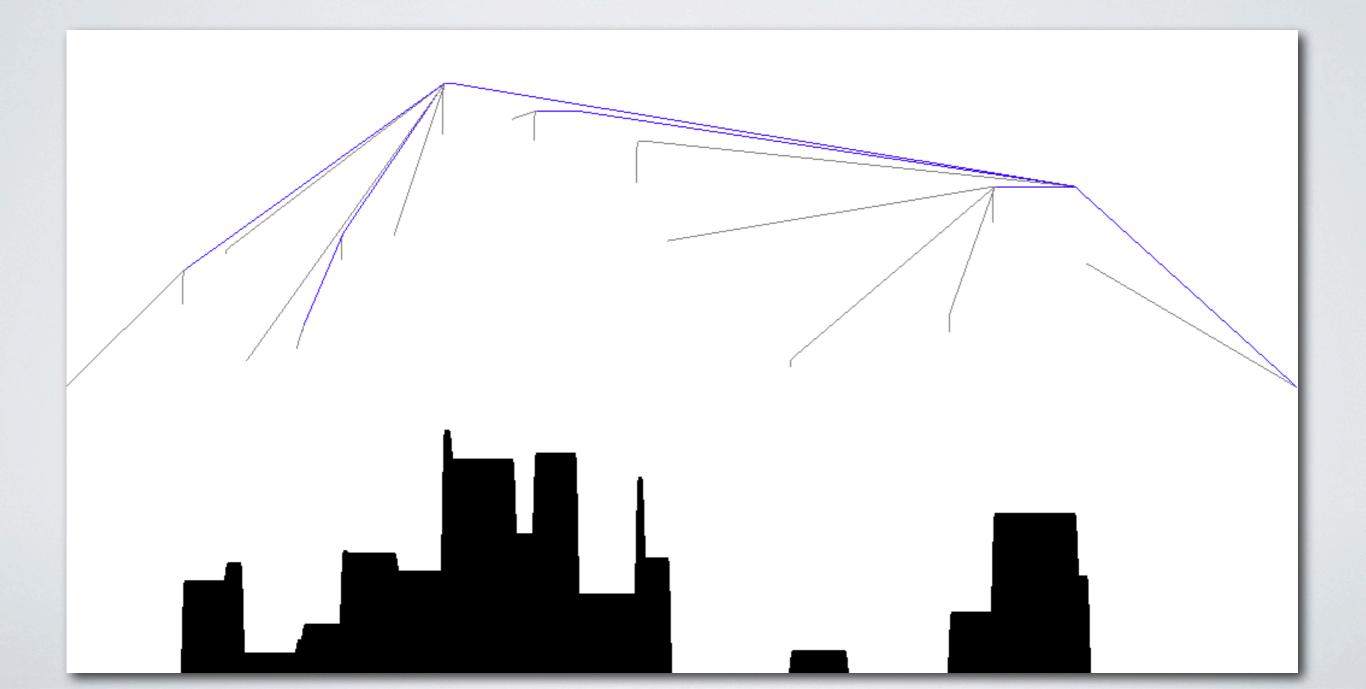


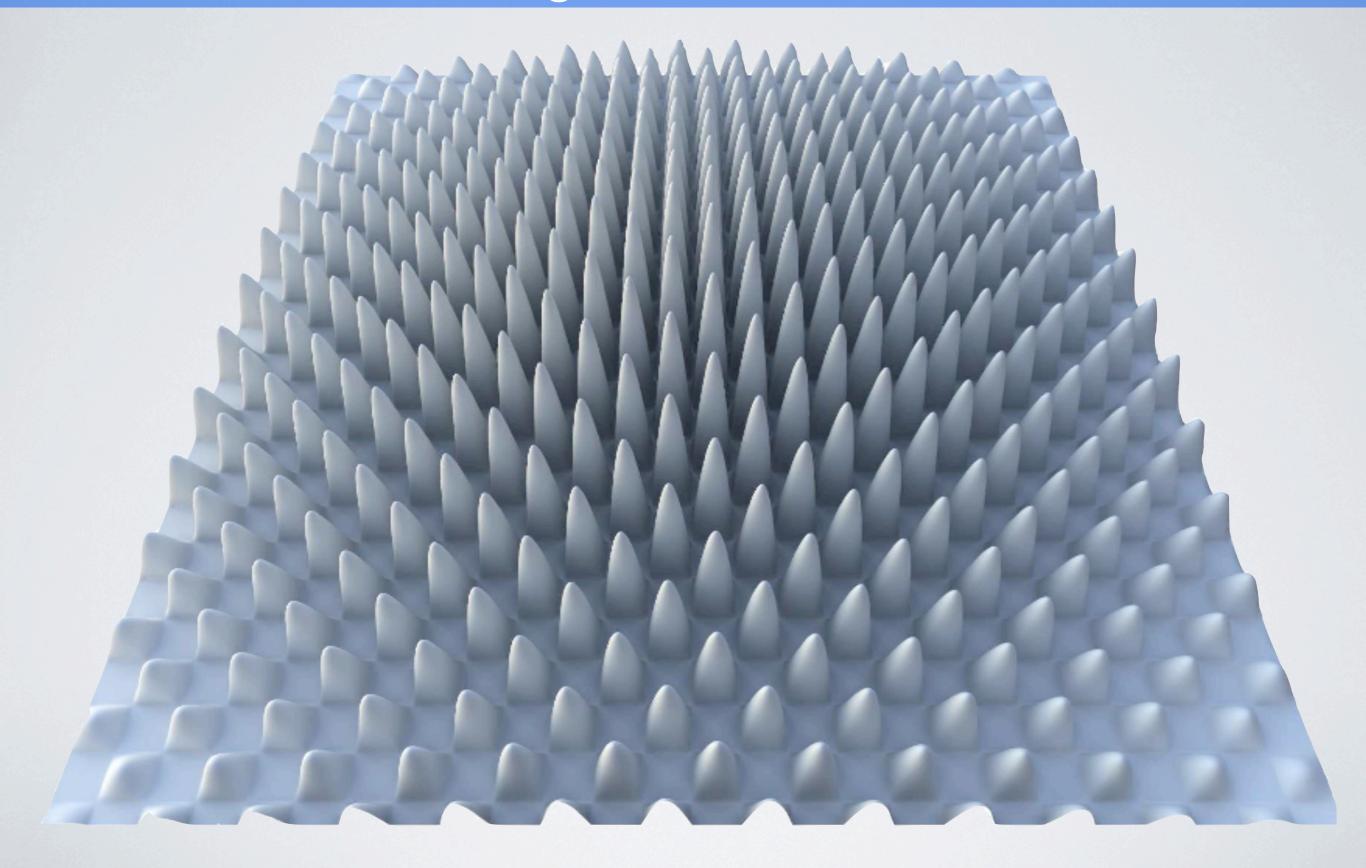


Visualizing the convex hull tree

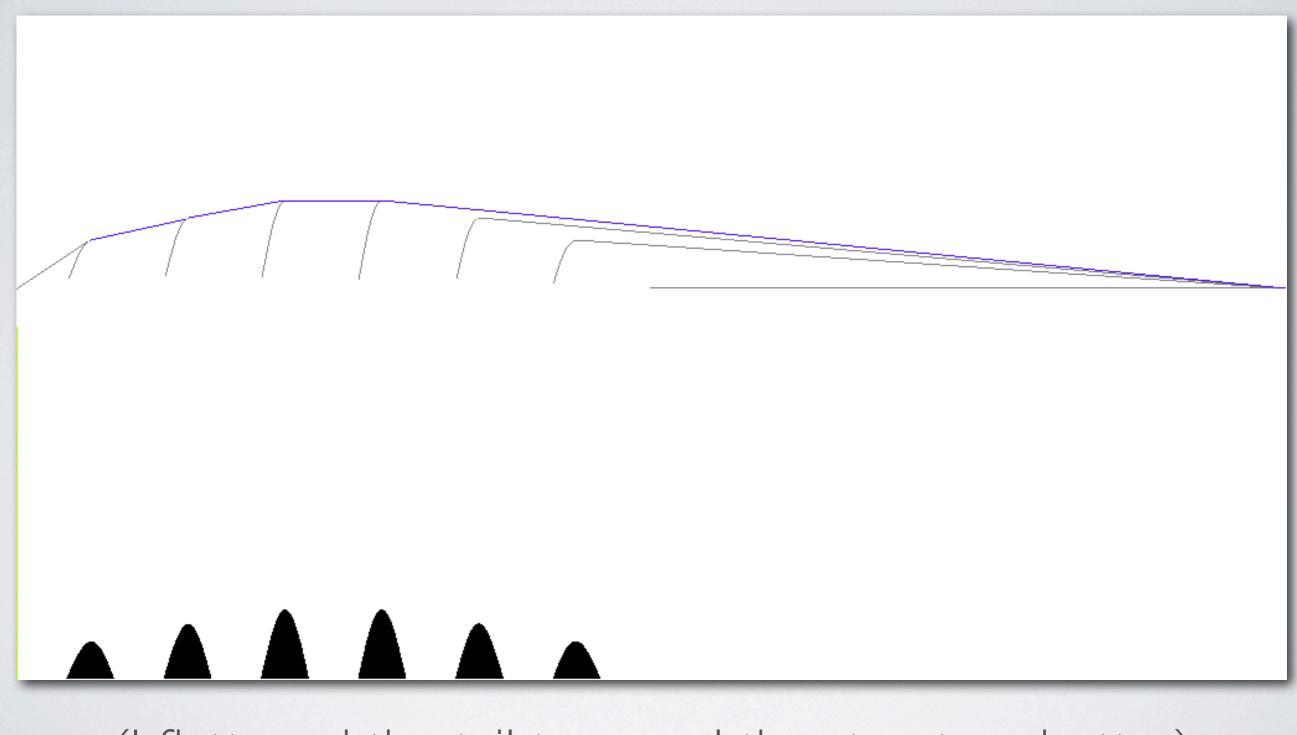








Visualizing the convex hull tree



(I flattened the tail to reveal the structure better)

Creating the convex hull tree

(See the accompanied video)

Creating the convex hull tree

The convex hull tree can be incrementally updated at each new R in O(h) time where h is the number of visibility horizons

Algorithm 1 RecConvexity(child_T, parent_T, root)

 $\begin{array}{ll} \mbox{if } ! convex(child_T \rightarrow parent_T \rightarrow root) \\ \mbox{connect } child_T \mbox{ to root before } parent_T \\ \mbox{if } child_T \mbox{ has a next sibling} \\ \mbox{ first } child \mbox{ of } parent_T \leftarrow next \mbox{ sibling of } child_T \\ \mbox{ // } Step \mbox{ wider} \\ \mbox{ RecConvexity(next sibling of child_T, parent_T, root)} \\ \mbox{else} \\ \mbox{ delete } parent_T \end{array}$

if child_T has a first child
 // Step deeper
 RecConvexity(first child of child_T, child_T, root)

For more info, check out the paper (especially if interested in an efficient GPU implementation)

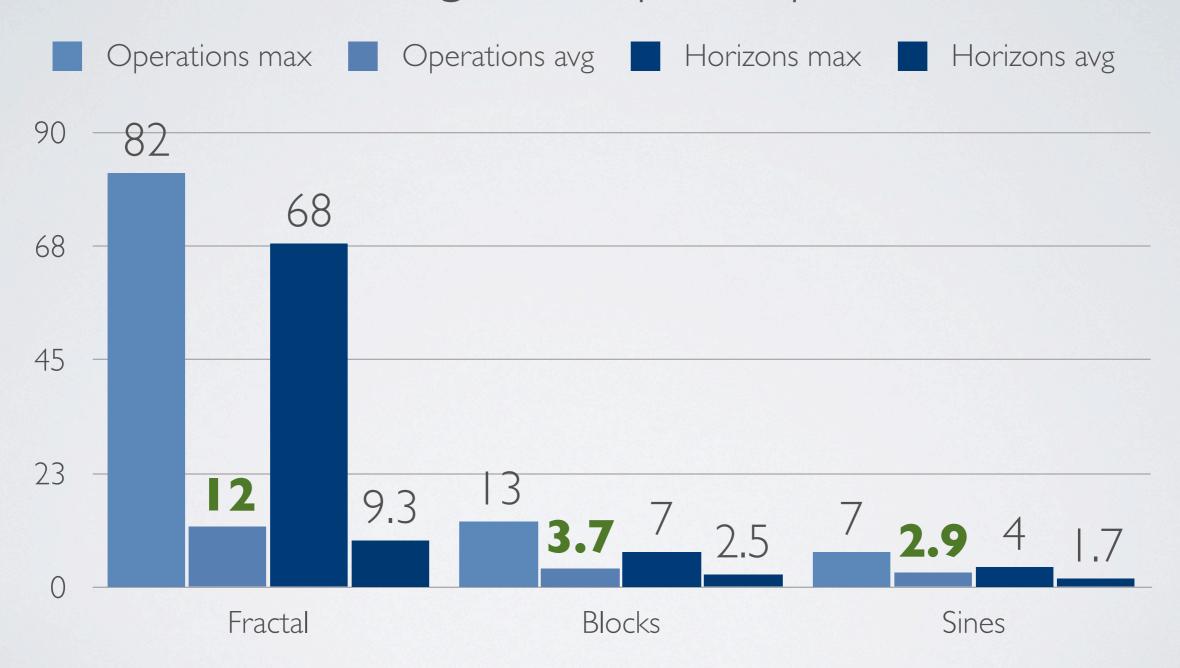
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Creating the convex hull tree

On a 1024² height field, per step on a slice:

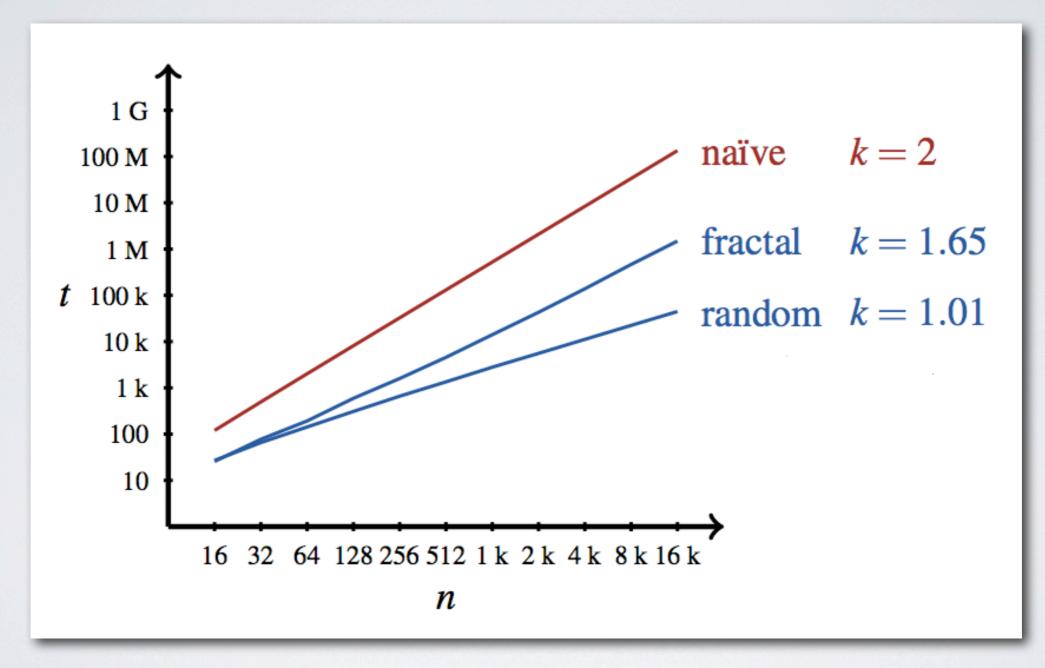


40-200x improvement over the constant ~512 iters

3 RESULTS

Creating the convex hull tree

Scaling of t: $O(n^k)$



t = number of iterations, n = length of the line

3 RESULTS

Execution time

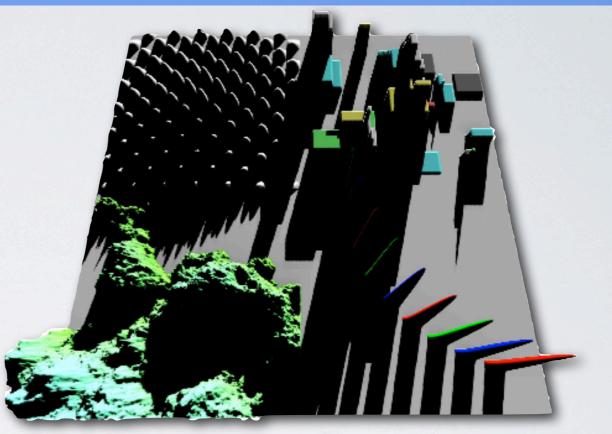
For one azimuthal direction (multiply by K to get total times) The height fields are 1024²

Height field	Time	Speedup
naïve	21.2 ms	
fractal terrain	8.85 ms	2.4x
brick surface	5.05 ms	<i>4.2x</i>
sine grid	1.61 ms	<i>13x</i>
blocks	0.52 ms	<i>41x</i>
Figure 11	3.14 ms	6.8x
Figure 12	0.59 ms	36x

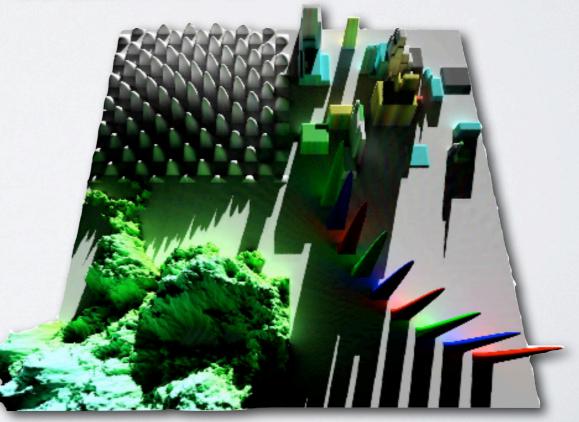


Indirect illumination

Direct lighting only

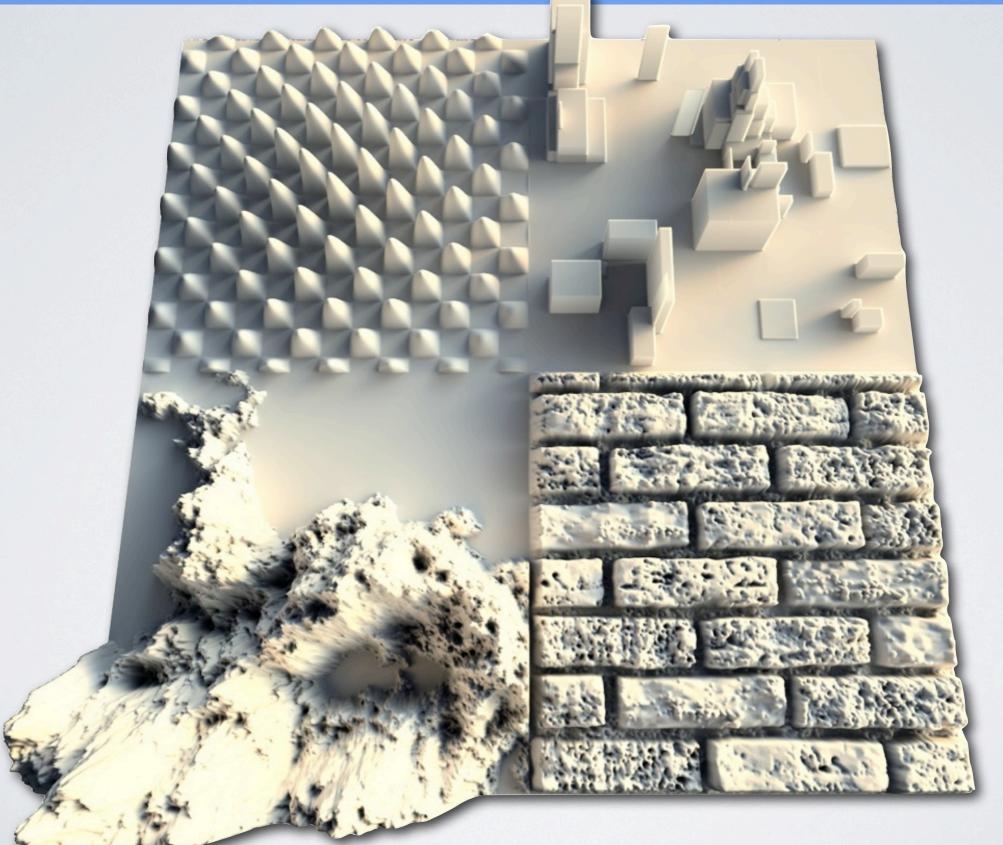


Direct + indirect



3 RESULTS

Indirect illumination



3 RESULTS

Self illumination

4 QUESTIONS

Or comments...

